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InverseFaceNet: Deep Monocular Inverse Face Rendering

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Abstract

We introduce InverseFaceNet, a deep convolutional inverse rendering framework for faces that jointly estimates facial pose, shape, expression, reflectance and illumination from a single input image. By estimating all parameters from just a single image, advanced editing possibilities on a single face image, such as appearance editing and relighting, become feasible in real time. Most previous learning-based face reconstruction approaches do not jointly recover all dimensions, or are severely limited in terms of visual quality. In contrast, we propose to recover high-quality facial pose, shape, expression, reflectance and illumination using a deep neural network that is trained using a large, synthetically created training corpus. Our approach builds on a novel loss function that measures model-space similarity directly in parameter space and significantly improves reconstruction accuracy. We further propose a self-supervised bootstrapping process in the network training loop, which iteratively updates the synthetic training corpus to better reflect the distribution of real-world imagery. We demonstrate that this strategy outperforms completely synthetically trained networks. Finally, we show high-quality reconstructions and compare our approach to several state-of-the-art approaches.

1. Introduction

Inverse rendering aims to reconstruct scene properties such as geometry, reflectance and illumination from image data. This reconstruction is fundamentally challenging, as it inevitably requires inverting the complex real-world image formation process. It is also an ill-posed problem as certain effects, such as low-frequency reflectance and illumination, can be indistinguishable [45]. Inverse rendering, for example, enables relighting of faces by modifying the scene illumination and keeping the face reflectance and geometry fixed.

Recently, optimization-based approaches for inverse face rendering were introduced with convincing results [2, 19, 28, 34, 60]. One of the key ingredients that enables to disentangle pose, geometry (both related to shape and facial expression), reflectance and illumination are specific priors that constrain parameters to plausible values and distributions. Formulating such priors accurately for real faces is difficult, as they are unknown a priori. The priors could be learned by applying inverse rendering to a large dataset of real face images, but this is highly challenging without having the priors a priori.

We take a different approach to solve this chicken-and-egg problem. Instead of formulating explicit priors, we directly learn inverse face rendering with a deep neural network that implicitly learns priors based on the training corpus. As annotated training data is hard to come by, we train on synthetic face images with known model parameters (geometry, reflectance and illumination). This is similar to existing approaches [46, 47, 52], but the used parameter distribution does not match that of real-world faces and environments. As a result, the learned implicit priors are rather weak and do not generalize well to in-the-wild images.

The approach of Li et al. [38] introduces a self-augmented procedure for training a CNN to regress the spatially varying surface appearance of planar exemplars. Our self-supervised bootstrapping approach extends their training strategy to handle unknown, varying geometry. In addition, we resample...
based on a mean-adaptive Gaussian in each bootstrapping step, which helps to populate out-of-domain samples, especially at the domain boundary. In contrast to many other approaches, InverseFaceNet also regresses color reflectance and illumination. Our main technical contribution is the introduction of a self-supervised bootstrapping step in our training loop, which continuously updates the training corpus to better reflect the distribution of real-world face images. The key idea is to apply the latest version of the inverse face rendering network to real-world images without ground truth, to estimate the corresponding face model parameters, and then to create synthetic face renderings for perturbed, but known, parameter values. In this way, we are able to bootstrap additional synthetic training data that better reflects the real-world distribution of face model parameters, and our network therefore better generalizes to the real-world setting. Our experiments demonstrate that our approach greatly improves the quality of regressed face models for real face images compared to approaches that are trained exclusively on synthetic data.

The main contribution of our paper is InverseFaceNet—a real-time, deep, single-shot inverse face rendering network that estimates pose, shape, expression, color reflectance and illumination from just a single input image in a single forward pass, and is multiple orders of magnitude faster than previous optimization-based methods estimating similar models. To improve the accuracy of the results, we further propose a loss function that measures model-space distances directly in a modified parameter space. We further propose self-supervised bootstrapping of a synthetic training corpus based on real images without available ground truth to produce labeled training data that follows the real-world parameter distribution. This leads to significantly improved reconstruction results for in-the-wild face photos.

2. Related Work

Inverse Rendering (of Faces) The goal of inverse rendering is to invert the graphics pipeline, i.e., to recover the geometry, reflectance (albedo) and illumination from images or videos of a scene—or, in our case, a face. Early work on inverse rendering made restrictive assumptions like known scene geometry and calibrated input images [45, 65]. However, recent work has started to relax these assumptions for specific classes of objects such as faces. Deep neural networks have been shown to be able to invert simple graphics pipelines [32, 42], although these techniques are so far only applicable to low-resolution grayscale images. In contrast, our approach reconstructs full-color facial reflectance and illumination, as well as geometry. Aldrian and Smith [2] use a 3D morphable model for optimization-based inverse rendering. They sequentially solve for geometry, reflectance and illumination, while we jointly regress all dimensions at once. Thies et al. [60] recently proposed a real-time inverse rendering approach for faces that estimates a person’s identity and expression using a blendshape model with reflectance texture and colored spherical harmonics illumination. Their approach is designed for reenactment and is visually convincing, but relies on non-linear least-squares optimization, which requires good initialization and a face model calibration step from multiple frames, while our approach estimates a very similar face model in a single shot, from a single in-the-wild image, in a fraction of the time. Inverse rendering has also been applied to face image editing [40, 55], for example to apply makeup [34, 35]. However, these approaches perform an image-based intrinsic decomposition without an explicit 3D face model, as in our case.

Face Models The appearance and geometry of faces are often modeled using 3D morphable models [5] or active appearance models [14]. These seminal face models are powerful and expressive, and remain useful for many applications even though more complex and accurate appearance models exist [30, 37]. Recently, a large-scale parametric face model [7] was created from 10,000 facial scans, Booth et al. [6] extend 3D morphable models to “in-the-wild” conditions, and deep appearance models [17] extend active appearance models by capturing geometry and appearance of faces more accurately under large unseen variations. We describe the face model we use in Section 4.

3D Face Reconstruction The literature on reconstructing face geometry, often with appearance, but without any illumination, is much more extensive compared to inverse rendering. We focus on single-view techniques and do not further discuss multi-view or multi-image approaches [23, 29, 44, 48, 57]. Recent techniques approach monocular face reconstruction by fitting active appearance models [1, 17], blendshape models [9, 18, 19, 61], affine face models [15, 16, 20, 46, 51, 54, 58, 62], mesh geometry [26, 33, 47, 48, 52], or volumetric geometry [24] to input images or videos. Shading-based surface refinement can extract even fine-scale geometric surface detail [11, 19, 26, 47, 48, 52]. Many techniques use facial landmark detectors for more robustness to changes in the head pose and expression, and we discuss them in the next section. A range of approaches use RGB-D input [e.g. 36, 59, 64], and while they achieve impressive face reconstruction results, they rely on depth data which is typically not available for in-the-wild images or videos.

Deep neural networks have recently shown promising results on various face reconstruction tasks. In a paper before its time, Nair et al. [42] proposed an analysis-by-synthesis algorithm that iteratively explores the parameter space of a black-box generative model, such as active appearance models (AAM) [14], to learn how to invert it, e.g., to convert a photo of a face into an AAM parameter vector. We are inspired by their approach and incorporate a self-supervised bootstrapping approach into our training process (see Section 7) to make our technique more robust to unseen inputs, in our case real photographs.
We first detect a set of 66 2D facial landmarks [50], see Figure 2. The landmarks are used to segment the face from the background, and mask out the mouth interior to effectively remove the parts of the image that cannot be explained by our model. The masked face is input to our deep inverse face rendering network (Section 6), which is trained on synthetic facial imagery (Section 5) using a parametric face and image formation model (Section 4). Starting from this low-quality corpus, we apply our self-supervised bootstrapping approach that updates the parameter distribution of the training set (Section 7) to bootstrap a training corpus that better approximates the real-world distribution. This leads to higher quality reconstructions (Section 8). Finally, we discuss limitations (Section 8.4) and conclude (Section 9).

4. The Space of Facial Imagery
We parameterize face images using $m = 350$ parameters:

$$\theta = \left( R, \theta^s, \theta^e, \theta^r, \theta^i \right) \in \mathbb{R}^m. \tag{1}$$

Here, $R$ specifies the global rotation (3 parameters), $\theta^s$ the shape (128), $\theta^e$ the expression (64), $\theta^r$ the skin reflectance (128), and $\theta^i$ the incident illumination (27). Note that we do not include translation as our network works on consistently segmented input images (see Figure 2 and Section 3).

4.1. Affine Face Model
We employ an affine face model to parameterize facial geometry $\mathcal{F}[g] \in \mathbb{R}^{3V}$ and reflectance $\mathcal{F}[t] \in \mathbb{R}^{3V}$, where $V$ is the number of vertices of the underlying manifold template mesh. The geometry vector $\mathcal{F}[g]$ stacks the 3D coordinates that define the mesh’s embedding in space. Similarly, the reflectance vector $\mathcal{F}[r]$ stacks the RGB per-vertex reflectance values. The space of facial geometry is modeled by the shape $\theta^s \in \mathbb{R}^N$, and expression $\theta^e \in \mathbb{R}^N$, parameters:

$$\mathcal{F}[g](\theta^s, \theta^e) = a^g + \frac{1}{N_v} \sum_{i=1}^{N_v} b^s_i \sigma_i^s \theta^s + \frac{1}{N_v} \sum_{j=1}^{N_v} b^e_j \sigma_j^e \theta^e. \tag{2}$$

The spatial embedding is modeled by a linear combination of orthonormal basis vectors $b^s_i$ and $b^e_j$, which span the shape and expression space, respectively. $a^g \in \mathbb{R}^{3V}$ is the average geometry of a neutral expression, the $\sigma_i^s$ are the shape standard deviations and the $\sigma_j^e$ are the standard deviations of the expression dimensions.

Per-vertex reflectance is modeled similarly using a small number of reflectance parameters $\theta^r \in \mathbb{R}^N$:

$$\mathcal{F}[r](\theta^r) = a^r + \frac{1}{N_v} \sum_{i=1}^{N_v} b^r_i \sigma_i^r \theta^r. \tag{3}$$

Here, $b^r_i$ are the reflectance basis vectors, $a^r$ is the average reflectance and the $\sigma_i^r$ are the standard deviations.

The face model is computed from 200 high-quality 3D scans [5] of Caucasians (100 male and 100 female) using...
We thus represent the incident illumination on the face using the Lambertian illumination to be distant and smoothly varying, and there is no self-shadowing. We thus represent the incident illumination on the face using second-order spherical harmonics (SH) [41, 45]. Therefore, the irradiance at a surface point with normal \( \mathbf{n} \) is given by

\[
B(\mathbf{n} | \theta^{(i)}) = \sum_{k=1}^{b^2} \theta_k^{(i)} H_k(\mathbf{n}),
\]

where \( H_k \) are the \( b^2 = 3^2 = 9 \) SH basis functions, and the \( \theta_k^{(i)} \) are the corresponding illumination coefficients. Since we consider colored illumination, the parameters \( \theta_k^{(i)} \in \mathbb{R}^3 \) specify RGB colors, leading to \( 3 \times 9 = 27 \) parameters in total.

We render facial images based on the SH illumination using a full perspective camera model \( \Pi : \mathbb{R}^3 \rightarrow \mathbb{R}^2 \). We render the face using a mask (painted once in a preprocessing step) that ensures that the rendered facial region matches the crops produced by the 66 detected landmark locations (see Figure 2). The global rotation of the face is modeled with three Euler angles using \( \mathbf{R} = \text{Rot}_{\text{xyz}}(\alpha, \beta, \gamma) \) that successively rotate around the \( x \)-axis (up, \( \alpha \)), \( y \)-axis (right, \( \beta \)), and \( z \)-axis (front, \( \gamma \)) of the camera-space coordinate system.

5. Initial Synthetic Training Corpus

Training our deep inverse face rendering network requires ground-truth training data \( \{\mathbf{I}_i, \theta_i\}_{i=1}^{N} \) in the form of corresponding pairs of image \( \mathbf{I}_i \) and model parameters \( \theta_i \). However, training on real images is challenging, since the ground-truth parameters cannot easily be obtained for a large dataset. We therefore train our network based on synthetically rendered data, where exact ground-truth labels are available.

We sample \( N = 200,000 \) parameter vectors \( \theta_i \) and use the model described in Section 4 to generate the corresponding images \( \mathbf{I}_i \). Data generation can be interpreted as sampling from a probability \( P(\theta) \) that models the distribution of real-world imagery. However, sampling from this distribution is in general difficult and non-trivial. We therefore assume statistical independence between the components of \( \theta \), i.e.,

\[
P(\theta) = P(\mathbf{R}) P(\theta^{(i)}) P(\theta^{(i)}) P(\theta^{(i)}) P(\theta^{(i)}).
\]

This enables us to efficiently generate a parameter vector \( \theta \) by independently sampling each subset of parameters.

We uniformly sample the yaw and pitch rotation angles \( \alpha, \beta \sim \mathcal{U}(-40^\circ, 40^\circ) \) and the roll angle \( \gamma \sim \mathcal{U}(-15^\circ, 15^\circ) \) to reflect common head rotations. We sample shape and reflectance parameters from the Gaussian distributions provided by the parametric PCA face model [5]. Since we already scale with the appropriate standard deviations during face generation (see Equations 2 and 3), we sample both from a standard normal distribution, i.e., \( \theta^{(i)} \sim N(0,1) \). The expression basis is based on artist-created blendshapes that only approximate the real-world distribution of the space of human expressions; this will be addressed by the self-supervised bootstrapping presented in Section 7. We thus uniformly sample the expression parameters using \( \theta^{(i)} \sim \mathcal{U}(-12,12) \). To prevent closing the mouth beyond anatomical limits, we apply a bias of 4.8 to the distribution of the first parameter \( \theta^1 \).

Finally, we sample the illumination parameters using \( \theta^{(i)} \sim \mathcal{U}(-0.2,0.2) \), except for the constant coefficient \( \theta^{(i)} \sim \mathcal{U}(0.6,1.2) \) to account for the average image brightness, and set all RGB components to the same value. The self-supervised bootstrapping step presented in Section 7 automatically introduces colored illumination.

6. InverseFaceNet

Given the training data \( \{\mathbf{I}_i, \theta_i\}_{i=1}^{N} \) consisting of \( N \) images \( \mathbf{I}_i \) and the corresponding ground-truth parameters \( \theta_i \), we train a deep inverse face rendering network \( \mathcal{F} \) to invert image formation. In the following, we provide details on our network architecture and the employed loss function.

6.1. Network Architecture

We have tested several different networks based on the popular AlexNet [31] and ResNet [21] architectures, both pre-trained on ImageNet [49]. In both cases, we resize the last fully-connected layer to match the dimensionality of our model (350 outputs), and initialize biases with 0, and weights \( \sim N(0,0.01) \). These minimally modified networks provide the baseline we build on. We propose more substantial changes to the training procedure by introducing a novel model-space loss in Section 6.2, which more effectively trains the same network architecture. The color channels of the input images are normalized to the range \([-0.5,0.5]\) before feeding the data to the network. We show a comparison between the results of AlexNet and ResNet-101 in Section 8.1, and thus choose AlexNet for our results.

Input Pre-Processing The input to our network is a color image of a masked face with a resolution of \( 240 \times 240 \) pixels (see Figure 2). We mask the face to remove any background and the mouth interior, which cannot be explained by our face model. For this, we use detected landmarks [50] and resize their bounding box uniformly to fit inside \( 240 \times 240 \) pixels, to approximately achieve scale and translation invariance.

Training We train all our inverse face rendering networks using the Caffe deep learning framework [25] with stochastic gradient descent based on AdaDelta [66]. We perform 75K batch iterations with a batch size of 32 for training our baseline approaches. To prevent overfitting, we use an \( \ell_2 \)-regularizer (aka weight decay) of 0.001. We train with a base learning rate of 0.01.

\(^1\)The first parameter mainly corresponds to mouth opening and closing.
6.2. Model-Space Parameter Loss
We use a weighted norm to define a model-space loss between the
predicted parameters $\theta$ and ground-truth $\theta_g$ by taking the
statistics of the face model into account:

$$L(\theta, \theta_g) = \frac{1}{\sigma^2} \left( \theta - \theta_g \right) \Sigma \left( \theta - \theta_g \right)^\top.$$

Here, $\Sigma$ is a weight matrix that incorporates the standard
deviations $\sigma^*$ of the different parameter dimensions:

$$\Sigma = \text{diag}(\omega_1, \omega_2, \ldots, \omega_k) \in \mathbb{R}^{m \times m}.$$

The coefficients $\omega_i$ balance the global importance of the different groups of parameters, and $\omega_k$ is a $k$-dimensional vector of ones. We use the same values $(\omega_1, \omega_2) = (400, 50, 50, 100, 20)$ for all our results.

7. Self-Supervised Bootstrapping
The real-world distribution of the model parameters $\theta$ is in
general unknown for in-the-wild images $I_{\text{real}}$. Until now, we
have sampled from a manually prescribed probability distribution $P(\theta)$, which does not exactly represent the
real-world distribution. The goal of the self-supervised bootstrapping step is to make the training data distribution
better match the real-world distribution of a corpus $\mathcal{R}$ of
in-the-wild face photographs. To this end, we automatically
bootstrap the parameters for the training corpus. Note that this
step is unsupervised and does not require the ground-truth parameters for images in $\mathcal{R}$ to be available.

Algorithm 1 Self-Supervised Bootstrapping

1. $\mathcal{F} \leftarrow \text{train_network_on_synthetic_faces}()$;
2. $\mathcal{R} \leftarrow \text{corpus_of_real_images}()$;
3. for (number of bootstrapping steps $N_{\text{boot}}$) do
4. $\theta_r \leftarrow \text{inverse\_rendering}(\mathcal{R}, \mathcal{F})$;
5. $\theta_r' \leftarrow \text{resample\_parameters}(\theta_r)$;
6. $\mathcal{R}' \leftarrow \{ \text{generate\_images}(\theta_r'), \theta_r' \}$;
7. $\mathcal{F} \leftarrow \text{continue\_training}(\mathcal{F}, \mathcal{R}')$;
8. end for

7.1. Bootstrapping
Bootstrapping based on uniform resampling with replacement $I_r \sim P(I) = 1/N$ cannot solve the problem of mismatched distributions. Hence, we propose a domain-adaptive approach that resamples new proposals from a mean-adaptive Gaussian distribution based on real images:

$$P(I_r(\theta) | I_{\text{real}}) \sim N(0, \sigma^2),$$

where $I_r(\theta)$ is the deterministic rendering process, we
compute the inverse of the rendering process $\theta(I_{\text{real}})$ using
InverseFaceNet, and $N(\cdot)$ is a noise distribution. This shifts
the distribution closer to the target distribution of real images
$P(I_{\text{real}})$. Moreover, adding a non-zero variance $\sigma^2 > 0$ populates out-of-domain samples especially at the domain boundary. Our approach takes the network of the last bootstrapping iteration as final output, instead of averaging the intermediate networks. This prevents from being biased to the manually prescribed sampling distribution of earlier training stages.

7.2. Algorithm
Our self-supervised parameter bootstrapping is a four-step process (see Algorithm 1). It starts with a deep neural network $\mathcal{F}$ initially trained on a synthetic training corpus (see Section 5) for 15K batch iterations. This guarantees a suitable initialization for all weights in the network. Given a set of images from the corpus of real-world images $\mathcal{R}$, we first obtain an estimate of the corresponding model parameters $\theta_r$, i.e., $\theta_r(I_{\text{real}})$ in Equation 9, using the synthetically trained network (step 1). These reconstructed parameters are used to seed the bootstrapping. In step 2, we apply small perturbations to the reconstructed parameters based on the noise distribution $N(0, \sigma^2)$. This generates new data around the seed points.
in model space, and allows the network to slowly adapt to the real-world parameter distribution. We use the following to re-sample the pose, shape, expression, reflectance and illumination parameters, generating two perturbed parameter vectors for each reconstruction: \( \alpha, \beta, \gamma : U(-5^\circ, 5^\circ), \theta_{[i]} : \mathcal{N}(0, 0.05), \theta_{[i]} : \mathcal{N}(0, 0.2), \theta_{[e]} : \mathcal{N}(0, 0.1), \text{and } \theta_{[i]} : \mathcal{N}(0, 0.02) \). In step 3, we generate new synthetic training images \( \mathcal{I}_r \) based on the resampled parameters \( \theta_{[r]} \), i.e., \( \theta(\mathcal{I}_{\text{real}}) + \mathcal{N}(0, \sigma^2) \). The result is a new synthetic training set \( \mathcal{R} \) that better reflects the real-world distribution of model parameters. Finally, the network \( \mathcal{F} \) is fine-tuned for \( N_{\text{iter}} = 7.5K \) batch iterations on the new training corpus (step 4). In total, we repeat this process for \( N_{\text{boot}} = 8 \) self-supervised bootstrapping steps.

Over the iterations, the data distribution of the training corpus adapts and better reflects the real-world distribution of the provided in-the-wild facial imagery, as illustrated in Figure 3. We also evaluate the parameter loss throughout bootstrapping iterations in Figure 4, and observe a clear reduction with our self-supervised bootstrapping. This leads to higher quality results at test time, as shown in Section 8. The variance \( \sigma^2 \) could be adaptively scaled based on the photometric error of estimates. However, we found empirically that our framework works well with a fixed variance.

8. Experiments and Results

We evaluate our InverseFaceNet on several publicly available datasets. We validate our design choices regarding network architecture, model-space loss, and self-supervised bootstrapping. We then show quantitative and qualitative results and comparisons on the datasets LFW (Labeled Faces in the Wild) [22], 300-VW (300 Videos in the Wild) [53], CelebA [39], FaceWarehouse [10], Volker [63] and Thomas [18]. For more results, we refer to our supplemental document and video2.

Error Measures We compute the photometric error using the RMSE of RGB pixel values (within the mask of the input image) between the input image and a rendering of the reconstructed face model. An error of 0 is a perfect color match, and 255 is the difference between black and white (i.e. lower is better). The geometric error measures the RMSE in mm between corresponding vertices in our reconstruction and the ground-truth geometry. We quantify the image-space overlap of the estimated face model and the input face image using the intersection over union (IOU) of face masks (e.g. see ‘contours’ in Figure 5). An IOU of 0% means no overlap, and 100% means perfect overlap (i.e. higher is better).

8.1. Evaluation of Design Choices

Table 1 evaluates different design choices on a test dataset of 5,914 images (one shown in Figure 5) from CelebA [39] using the error measures described earlier (using our implementation of Garrido et al. [19] as ground-truth geometry, up to blendshape level).

Network Architecture We first compare the results of the AlexNet [31] and ResNet-101 [21] architectures, both with our model-space loss (see Section 6). Reconstructions using ResNet-101 have smaller geometric errors, but worse photometric error and IOU than AlexNet, which is exemplified by Figure 5. ResNet-101 is significantly deeper than AlexNet, so training takes about 10× longer and testing about 5× longer. We thus use AlexNet for our inverse face rendering network, which only requires 3.9 ms for the forward pass (on an Nvidia Titan Xp). Landmark detection takes 4.5 ms and face morphing 1 ms (on the GPU). In total, our approach requires 9.4 ms.

Importance of Model-Space Loss Table 1 shows that our model-space loss improves on baseline AlexNet [31] in all error categories, particularly the photometric error and IOU. As our model-space loss does not modify the network architecture, the time for the forward pass remains the same fast 3.9 ms as before.

Importance of Self-supervised Bootstrapping Our self-supervised bootstrapping (see Section 7) significantly improves the reconstruction quality and produces the lowest errors in all categories, as shown in Table 1. This can also

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Project page: http://gvv.mpi-inf.mpg.de/projects/InverseFaceNet
Table 1. Quantitative architecture comparison, model-space parameter loss and our bootstrapping step on 5,914 test images from CelebA [39]. The best values for each column are highlighted in bold. Training times are averaged over 5K images. Training on a GTX Titan and testing on a Titan Xp. Errors show means and standard deviations. *For bootstrapping, we first train 15K iterations on normal synthetic face images (see Section 5), and then bootstrap for 60K iterations (see Section 7).

InverseFaceNet (AlexNet [31] with model-space loss and bootstrapping) produces the best geometric error and intersection over union.

<table>
<thead>
<tr>
<th>Approach</th>
<th>Training iterations</th>
<th>Training time [h]</th>
<th>Test time [ms/image]</th>
<th>Photometric error [8 bits]</th>
<th>Geometric error [mm]</th>
<th>Intersection over union [%]</th>
</tr>
</thead>
<tbody>
<tr>
<td>AlexNet [31]</td>
<td>75K</td>
<td>4.14</td>
<td>3.9</td>
<td>46.26 ± 12.42</td>
<td>2.91 ± 0.99</td>
<td>90.44 ± 3.81</td>
</tr>
<tr>
<td>+ model-space loss</td>
<td>75K</td>
<td>4.36</td>
<td>3.9</td>
<td>39.71 ± 9.86</td>
<td>2.77 ± 1.00</td>
<td>92.51 ± 2.59</td>
</tr>
<tr>
<td>+ bootstrap (= InverseFaceNet)</td>
<td>75K*</td>
<td>29.40</td>
<td>3.9</td>
<td>34.03 ± 7.56</td>
<td>2.11 ± 0.84</td>
<td>93.96 ± 2.08</td>
</tr>
<tr>
<td>ResNet-101 [21] + model-space loss</td>
<td>150K</td>
<td>40.99</td>
<td>21.0</td>
<td>41.23 ± 10.58</td>
<td>2.54 ± 0.87</td>
<td>92.07 ± 2.87</td>
</tr>
<tr>
<td>MoFA [58]</td>
<td>—</td>
<td>—</td>
<td>3.9</td>
<td>17.23 ± 4.42</td>
<td>3.94 ± 1.34</td>
<td>84.20 ± 4.23</td>
</tr>
</tbody>
</table>

Table 2. Quantitative evaluation of the geometric accuracy on 180 meshes of the FaceWarehouse [10] dataset.

<table>
<thead>
<tr>
<th>Approach</th>
<th>Bootstrap</th>
<th>Baseline</th>
<th>Other approaches</th>
</tr>
</thead>
<tbody>
<tr>
<td>Our approach</td>
<td></td>
<td></td>
<td>Garrido et al. [19]</td>
</tr>
<tr>
<td>Error</td>
<td>2.11 mm</td>
<td>2.33 mm</td>
<td>1.59 mm</td>
</tr>
<tr>
<td>SD</td>
<td>0.46 mm</td>
<td>0.47 mm</td>
<td>0.30 mm</td>
</tr>
</tbody>
</table>

be seen in Figure 5, which shows plausible reconstruction of appearance and geometry, the lowest geometric errors, and improved contour overlap for our network with bootstrapping. Note that the training time for self-supervised bootstrapping includes all steps (see Algorithm 1), in particular reconstructing 100K face models (0.25 h), rendering 200K synthetic faces (2.8 h) and training for 7.5K iterations (0.5 h) for each of the 8 bootstrapping iterations (on an Nvidia GeForce GTX Titan). AlexNet with bootstrapping significantly outperforms ResNet-101 without bootstrapping in reconstruction quality, training time and test time. Note that our approach is better than Tewari et al. [58] in terms of geometry and overlap, and worse in terms of the photometric error on this test set.

8.2. Quantitative Evaluation

We compare the geometric accuracy of our approach to state-of-the-art monocular reconstruction techniques in Figure 6. As ground truth, we use the high-quality stereo reconstructions of Valgaerts et al. [63]. Compared to Thies et al. [60], our approach obtains similar quality results, but without the need for explicit optimization. Therefore, our approach is two orders of magnitude faster (9.4 ms vs about 2 minutes [19]), and orthogonal to optimization-based approaches, since it can be used to provide a good initial solution.

In Figure 8, we also compare to the state-of-the-art deep-learning-based approaches by Richardson et al. [46, 47], Sela et al. [52], Jackson et al. [24], Tran et al. [62] and Tewari et al. [58]. We obtain high-quality results in 9.4 ms. Most of the other approaches are slower, do not estimate colored skin reflectance and illumination [24, 46, 47, 52], do not regress the facial expressions [58], or suffer from geometric shrinking artifacts [62]. Note, we compare to Richardson et al.’s ‘CoarseNet’ [47], which corresponds to their earlier method [46], and estimates pose, shape and expression, followed by a model-based optimization of monochrome reflectance and illumination. We also compare to Sela et al.’s aligned template mesh. We don’t compare to ‘FineNet’ [47] or ‘fine detail reconstruction’ [52] as these estimate a refined depth map/mesh, and we are interested in comparing the reconstructed parametric face models.

Figure 9 shows several monocular reconstruction results obtained with our InverseFaceNet. As can be seen, our approach obtains good estimates of all model parameters.

8.4. Limitations

We propose a solution to the highly challenging problem of inverse face rendering from a single image. Similar to previous learning-based approaches, ours has a few
Figure 6. Quantitative comparison of geometric accuracy compared to Thies et al. [60], Richardson et al. [47], Jackson et al. [24] and Tran et al. [62] on Volker [63]. The heat maps visualize the pointwise Hausdorff distance (in mm) between the input and the ground-truth. The ground-truth has been obtained by the high-quality binocular reconstruction approach of Valgaerts et al. [63].

Figure 7. Qualitative comparison to optimization-based approaches [18, 19] on Thomas [18]. For more, see our supplemental document.

Figure 8. Comparison to a wide range of state-of-the-art learning-based approaches. From top to bottom: Comparison to Richardson et al. [47], Sela et al. [52], Jackson et al. [24], Tran et al. [62] and Tewari et al. [58]. We obtain high-quality results in 9.4 ms. Most other approaches are significantly slower, do not estimate colored skin reflectance and illumination (empty box), do not regress facial expressions (yellow arrow), or suffer from geometric shrinking (red arrow). Images from LFW [22], 300-VW [53], CelebA [39] and Face-Warehouse [10]. For more results, see our supplemental document.

9. Conclusion

We have presented InverseFaceNet – a single-shot inverse face rendering framework. Our key contribution is to overcome the lack of well-annotated image datasets by self-supervised bootstrapping of a synthetic training corpus that captures the real-world distribution. This enables high-quality face reconstruction from just a single monocular image. Our evaluation shows that our approach compares favorably to the state of the art. InverseFaceNet could be used to quickly and robustly initialize optimization-based reconstruction approaches close to the global minimum. We hope that our approach will stimulate future work in this exciting field.

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References


